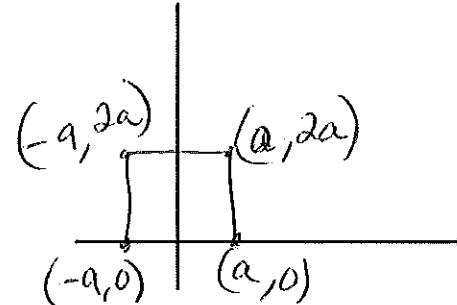
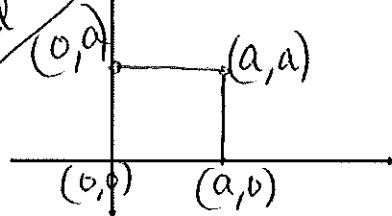


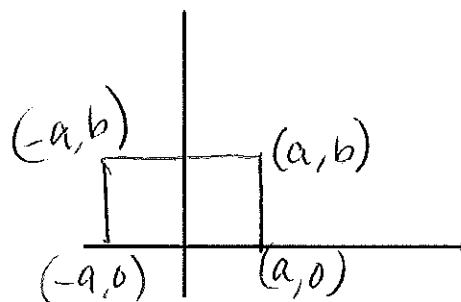
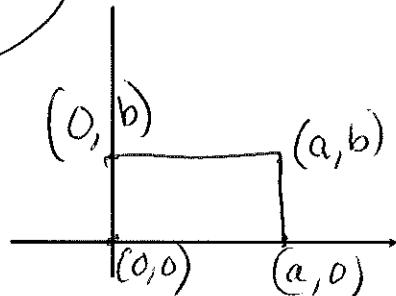
Draw the given figure on each pair of axes and assign appropriate variable coordinates for each vertex. Then draw THE SAME shape again on the 2nd pair of axes, in a different position, using appropriate coordinates.

1) SQUARE

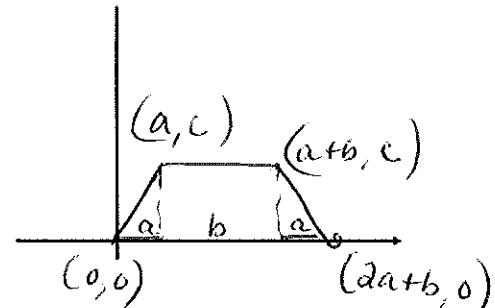
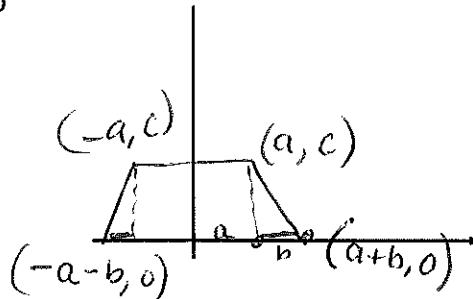
*Remember to
double every coordinate
if you know you need
midpoints



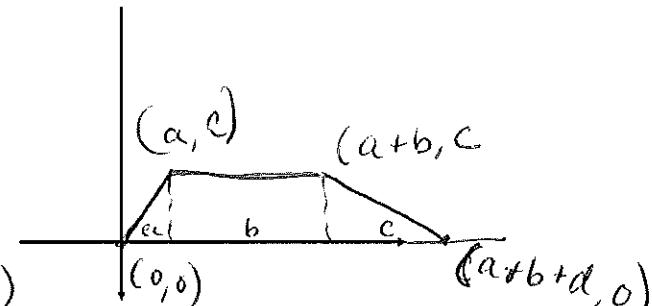
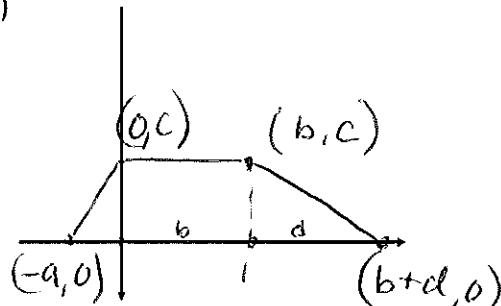
2) RECTANGLE



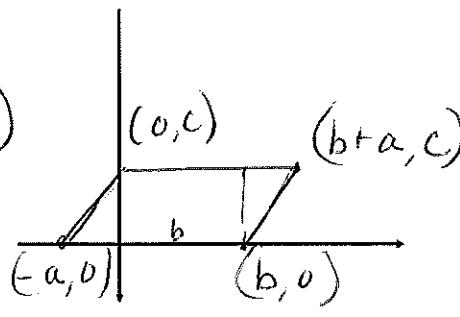
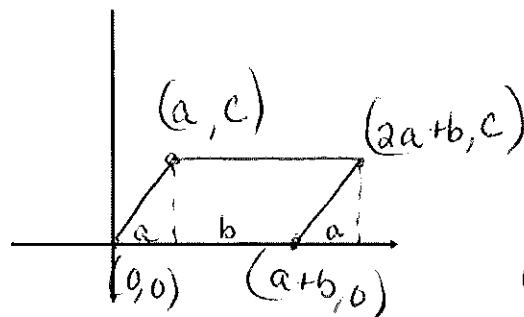
3) ISOSCELES TRAPEZOID



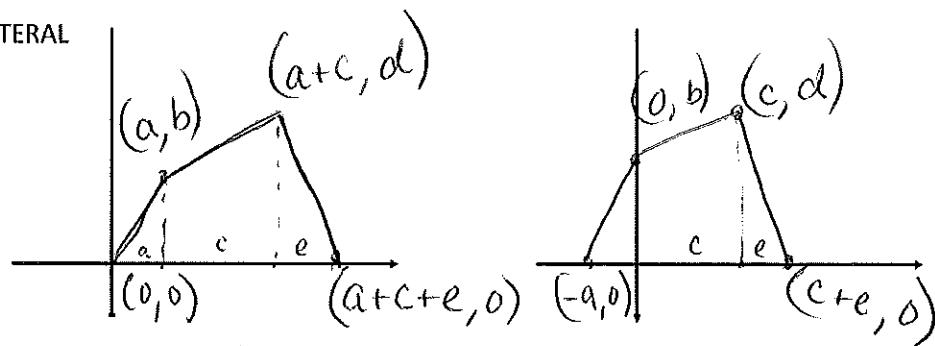
4) TRAPEZOID (not isos)



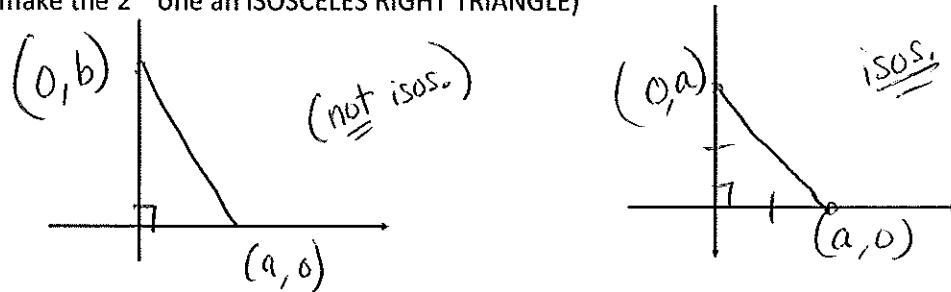
5) PARALLELOGRAM



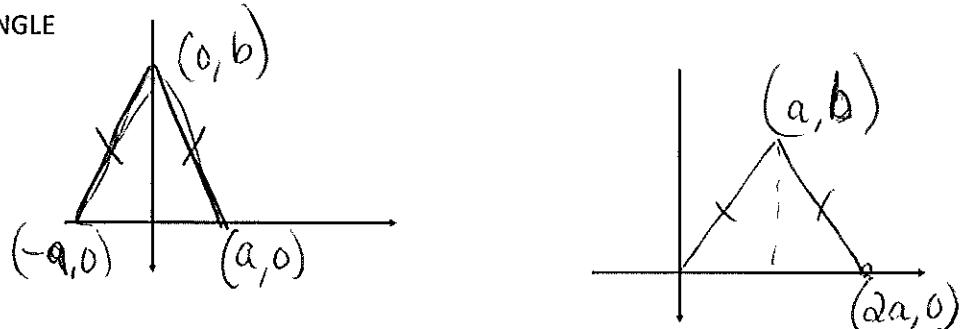
6) QUADRILATERAL



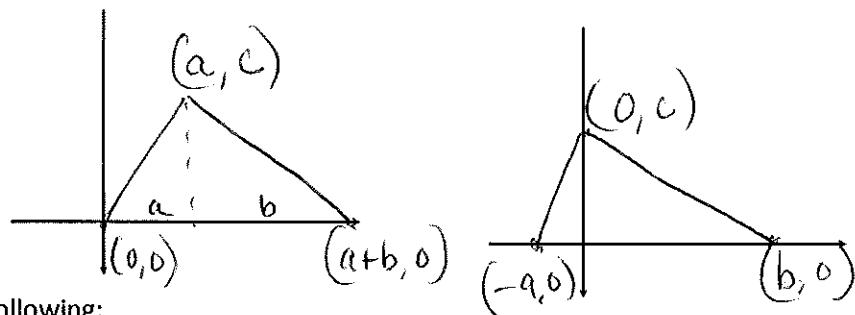
7) RIGHT TRIANGLE (make the 2nd one an ISOSCELES RIGHT TRIANGLE)



8) ISOSCELES TRIANGLE

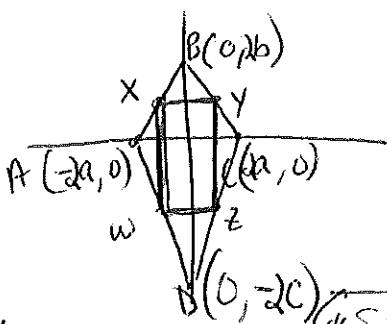


9) TRIANGLE (not isos, not right, etc.)



Write a coordinate proof of the following;

10) The quadrilateral formed by connecting the midpoints of a KITE is a rectangle. (make the x and y axes contain the diagonals of your kite)



Midpts of \overline{AB} $\Rightarrow X\left(\frac{-2a}{2}, \frac{2b}{2}\right)$ {Diag. bisect each other
midpts} $XZ = \left(\frac{-a+a}{2}, \frac{b-c}{2}\right)$
 $\overline{BC} \Rightarrow Y(a, b)$ $(0, \frac{b-c}{2})$
 $\overline{DC} \Rightarrow Z(a, c)$ $(0, \frac{b-c}{2})$
 $\overline{AD} \Rightarrow W(-a, -c)$ $(\frac{a-a}{2}, \frac{b-c}{2})$

11)

* Since X, Y, Z, W is a ||gm w/ \cong diagonals
then the quadr. formed by
connecting midpts. of a kite is a
rectangle.

Diag. \cong
 $XZ = \sqrt{(a-a)^2 + (b-c)^2}$
 $YW = \sqrt{(a-a)^2 + (b-c)^2}$