# Warm Up

 $56\overline{)2968} \qquad \qquad 94\overline{)3854}$ 

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# Warm Up Answers

Lesson 1.2

September 11, 2015

**Essential Question** How can you use repeated factors in real-life situations?

Lesson 1.2

September 11, 2015

# **Lesson Objective:**

Students will be able to:

use formal language to describe a power and look at the specific case of perfect squares.

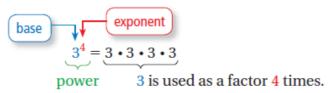
## **Self-Evaluation Scale**

Score	Description
4	I can teach other students how to use formal language to describe a power and look at the specific case of perfect squares.
3	I can use formal language to describe a power and look at the specific case of perfect squares.
2	I recognize, but still need help to use formal language to describe a power and look at the specific case of perfect squares.
1	I do not know how to use formal language to describe a power and look at the specific case of perfect squares.

# Activity 1, 2, & 3

With a partner, work on Activity 1, 2, & 3 on pages 7, 8, & 9 of your Big Ideas Record and Practice Journal.

A **power** is a product of repeated factors. The **base** of a power is the repeated factor. The **exponent** of a power indicates the number of times the base is used as a factor.



Power	Words
<b>3</b> <sup>2</sup>	Three squared, or three to the second
3 <sup>3</sup>	Three <i>cubed</i> , or three to the third
34	Three to the fourth

#### 1 Writing Expressions as Powers

Write each product as a power.

a. 4 • 4 • 4 • 4

Because 4 is used as a factor 5 times, its exponent is 5.

- So,  $4 \cdot 4 \cdot 4 \cdot 4 \cdot 4 = 4^5$ .
- **b.**  $12 \times 12 \times 12$

Because 12 is used as a factor 3 times, its exponent is 3.

So,  $12 \times 12 \times 12 = 12^3$ .

### On Your Own

Write the product as a power.

- 1. 6 6 6 6 6 6
- **2.**  $15 \times 15 \times 15 \times 15$

#### Finding Values of Powers

Find the value of each power.

**a.** 
$$7^2$$

**b.** 
$$5^3$$

$$7^2 = 7 \cdot 7$$

 $7^2 = 7 \cdot 7$  Write as repeated multiplication.  $5^3 = 5 \cdot 5 \cdot 5$ 

$$5^3 = 5 \cdot 5 \cdot 5$$

$$= 49$$

Simplify.

$$= 125$$

The square of a whole number is a perfect square.

#### 3 Identifying Perfect Squares

Determine whether each number is a perfect square.

- a. 64
  - Because  $8^2 = 64$ , 64 is a perfect square.
- **b.** 20

No whole number squared equals 20. So, 20 is not a perfect square.

### On Your Own

Find the value of the power.

- **3.** 6<sup>3</sup>
- **4.** 9<sup>2</sup>
- **5**. 3<sup>4</sup>
- **6.** 18<sup>2</sup>

Determine whether the number is a perfect square.

- **7**. 25
- **8.** 2
- **9**. 99
- **10**. 100

# Assignment

Complete problems 4, 5, 14, 15, 25, 26, 36, 37, & 38 on pages 14 & 15 in your Big Ideas Text Book.

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September 11, 2015

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### Homework

In your Big Ideas Record and Practice Journal page 10.